

Operation

Polynomial Evaluation

given $y = \sum a_p x^p$
 calculate y and $-y'$
 for $x_1, \dots, x_k, \dots, x_m$



Use

a) Calling Linkage

L : LINKED AUTOMATICALLY
 L + 1: FROM LS3 (4.03.01)
 L + 2: (See LS3 - use of breakpoint switches)

b) Adaptation Link Word NOT ADAPTABLE

L + 2: JWL B

c) Storage 159 - 181 NOT RELOCATABLE

J = words
 k = orders
 constants
 opstos: to

Requirements and Performance

- a) Method of operation floating
- b) Additional routines required SER, LS3.
- c) Range and form of variable $x_1, \dots, x_k, \dots, x_m$ assumed stored in alternate locations commencing 101
- d) Accuracy
- e) Performance time

OPERATION NOTES

INPUT SER IN LOCATIONS 01a-0dc (use input order on SER tape)
INPUT LS3
INPUT Polynomial Evaluation ~~01f-193~~
SET BT at "NO", BH at "YES"

159-181

Then input LS3 calling sequence and $x_k y_k$ data
(see LS3 operating notes)

When routine comes to a halt, SET BT to "YES"
and push run button.

Routine will then overwrite the smoothed y_k 's in
the old x_k locations (alternate locations starting 1c1)
and $-\frac{1}{y_k}$ in the old y_k locations. The routine
will deconvert these (set output tabulation to 2)
and print.

All three routines reset themselves so that
a new set of $x_k y_k$ can be solved simply
by inputting the LS3 calling sequence and ~~the~~ new
data.